## NCERT

## SOLUTIONS

## CLASS - 8TH


aglasem.com

Class: 8th
Subject: Maths
Chapter : 8
Chapter Name : Comparing Quantities

## Exercise 8.1

Q1 Find the ratio of the following.
(a) Speed of a cycle 15 km per hour to the speed of scooter 30 km per hour.
(b) 5 m to 10 km
(c) 50 paise to 5

Answer. (a) Ratio of the speed of cycle to the speed of scooter $=\frac{15}{30}=1: 2$
(b) Since $1 \mathrm{~km}=1000 \mathrm{~m}$,

Required ratio $=\frac{5 \mathrm{~m}}{10 \mathrm{~km}}=\frac{5 \mathrm{~m}}{10 \times 1000 \mathrm{~m}}=1: 2000$
(c) Since Re 1 = 100 paise,

Required ratio $==\frac{50 \text { paise }}{\text { Rs } 5}=\frac{50 \text { paise }}{500 \text { paise }}=1: 10$

Page : 119 , Block Name : Exercise 8.1
Q2 Convert the following ratios to percentages.
(a) $3: 4$
(b) $2: 3$

$$
3: 4=\frac{3}{4}=\frac{3}{4} \times \frac{100}{100}=\frac{3}{4} \times 100 \%=75 \%
$$

Answer. $2: 3=\frac{2}{3}=\frac{2}{3} \times \frac{100}{100}=\frac{2}{3} \times 100 \%=\frac{200}{3} \%$

$$
=\left(\frac{66 \times 3+2}{3}\right) \%=66 \frac{2}{3} \%
$$

Page : 119, Block Name : Exercise 8.1
Q3 72\% of 25 students are interested in mathematics. How many are not interested in mathematics?

Answer. It is given that $72 \%$ of 25 students are good in mathematics.
Percentage of students who are not good in mathematics $=(100-72) \%=28 \%$
$\cdot \cdot$ Number Of students who are not good in mathematics $=\frac{28}{100} \times 25=7$
Thus, 7 students are not good in mathematics.

Page : 119, Block Name : Exercise 8.1

Q4 A football team won 10 matches out of the total number of matches they played. If their win percentage was 40 , then how many matches did they play in all?

Answer. Let the total number of matches played by the team be x .
It is given that the team won 10 matches and the winning percentage of the team was $40 \%$. Therefore,
$\frac{40}{100} \times x=10$
$x=10 \times \frac{100}{40}$
$x=25$
Thus, the team played 25 matches.

Page : 119, Block Name : Exercise 8.1

Q5 If Chameli had Rs. 600 left after spending $75 \%$ of her money, how much did she have in the beginning?

Answer. Let the amount of money which Chameli had in the beginning be x .
It is given that after spending $75 \%$ of Rs x , she was left with Rs 600 .
Therefore,
$(100-75) \%$ of $x=R s 600$
Or, $25 \%$ of $x=R s 600$
$\frac{25}{100} \times x=$ Rs 600
$x=\operatorname{Rs}\left(600 \times \frac{100}{25}\right)=\operatorname{Rs} 2400$

Page : 119, Block Name : Exercise 8.1

Q6 If $60 \%$ people in a city like cricket, $30 \%$ like football and the remaining like other games, then what per cent of the people like other games? If the total number of people is 50 lakh, find the exact number who like each type of game.

Answer. Percentage of people who like other games - (100-60-30)\%
= ( 100 - 90 ) $\%=10 \%$
Total number of people = 50 lakh
Therefore, number Of people who like cricket $=\left(\frac{60}{100} \times 50\right)$ lakh $=30$ lakh
Number of people who like football $=\left(\frac{30}{100} \times 50\right)$ lakh $=15$ lakh
Number Of people who like other games $=\left(\frac{10}{100} \times 50\right)$ lakh $=5$ lakh

Page : 120 , Block Name : Exercise 8.1

## Exercise 8.2

Q1 A man got a $10 \%$ increase in his salary. If his new salary is Rs.1,54,000, find his original salary.
Answer. Let the original salary be x . It is given that the new salary is Rs $1,54,000$.
Original salary + Increment = New salary
However, it is given that the increment is $10 \%$ of the original salary.
Therefore,
$x+\frac{10}{100} \times x=154000$
$\frac{110 x}{100}=154000$
$x=\left(154000 \times \frac{100}{110}\right)$
$x=140000$
Thus, the original salary was Rs. 1,40,000.

Page : 125 , Block Name : Exercise 8.2

Q2 On Sunday 845 people went to the Zoo. On Monday only 169 people went. What is the percent decrease in the people visiting the Zoo on Monday?

Answer. It is given that on Sunday, 845 people went to the zoo and on Monday, 169 people went. Decrease in the number of people $=845-169=676$
Percentage decrease $=\left(\frac{\text { Decrease in the number of people } \times 100}{\text { Number of people who went to zoo on sunday }}\right) \%$
$=\left(\frac{676}{845} \times 100\right) \%$
$=80 \%$

Page : 125 , Block Name : Exercise 8.2

Q3 A shopkeeper buys 80 articles for Rs.2,400 and sells them for a profit of $16 \%$. Find the selling price of one article.

Answer. It is given that the shopkeeper buys 80 articles for Rs 2,400.
Cost of one article $=$ Rs $\frac{2400}{80}=$ Rs 30
Profit percent $=16$
Profit Percent $=\frac{\text { Profit }}{\text { C.P. }} \times 100$

$$
16=\frac{\text { Profit }}{\operatorname{Rs} 30} \times 100
$$

Profit $=\operatorname{Rs}\left(\frac{16 \times 30}{100}\right)=\operatorname{Rs} 4.80$
Selling price of one article $=$ C.P. + Profit $=$ Rs $(30+4.80)=$ Rs 34.80

Page : 125 , Block Name : Exercise 8.2

Q4 The cost of an article was Rs.15,500. Rs. 450 were spent on its repairs. If it is sold for a profit of $15 \%$, find the selling price of the article.

Answer. Total cost of an article = = Cost + Overhead expenses
= Rs 15500 + Rs 450
= Rs 15950
Profit $\%=\frac{\text { Profit }}{\text { C.P. }} \times 100$
$15=\frac{\text { Profit }}{R s 15950} \times 100$
Profit $=\operatorname{Rs}\left(\frac{15950 \times 15}{100}\right)=R s 2392.50$
-.Selling price of the article = C.P. + Profit $=$ Rs. $(15950+2392.50)$
= Rs 18342.50

Page : 125, Block Name : Exercise 8.2

Q5 A VCR and TV were bought for Rs.8,000 each. The shopkeeper made a loss of $4 \%$ on the VCR and a profit of $8 \%$ on the TV. Find the gain or loss percent on the whole transaction.

Answer. C.P. of a VCR = Rs 8000
The shopkeeper made a loss of $4 \%$ on VCR.
This means if C.P. is Rs 100 , then S.P. is Rs 96.
When C.P. is Rs 8000 , S.P. $=\operatorname{Rs}\left(\frac{108}{100} \times 8000\right)=\operatorname{Rs} 8640$
C.P. of a TV = Rs 8000

The shopkeeper made a profit of $8 \%$ on TV.
This means that if C.P. is Rs 100 , then S.P. is Rs 108 .
When C.P. is Rs 8000, S.P. $=\operatorname{Rs}\left(\frac{108}{100} \times 8000\right)=\operatorname{Rs} 8640$
Total S.P. $=$ Rs. $7680+$ Rs $8640=$ Rs 16320
Total C.P. $=$ Rs $8000+$ Rs $8000=$ Rs 16000
Since total S.P.> total C.P., there a profit.
Profit $=$ Rs. $16320-$ Rs. $16000=$ Rs 320

$$
\begin{aligned}
\text { Profit } \% & =\frac{\text { Profit }}{\text { C. P. }} \times 100 \\
& =\frac{320}{16000} \times 100=2 \%
\end{aligned}
$$

Therefore, the shopkeeper had a gain of $2 \%$ on the whole transaction.

Page : 125 , Block Name : Exercise 8.2

Q6 During a sale, a shop offered a discount of $10 \%$ on the marked prices of all the items. What would a customer have to pay for a pair of jeans marked at Rs. 1450 and two shirts marked at Rs. 850 each?

Answer. Total marked price $=$ Rs. $(1,450+2 \times 850)=$ Rs. $(1,450+1,700)=$ Rs. 3,150
Given that, discount \% = 10 \%
Discount $=/(\backslash o p e r a t o r n a m e\{R s\} \backslash l e f t(\backslash f r a c\{10\}\{100\} ~ \$ times $3150 \backslash$ right $)=\backslash$ operatorname $\{$ Rs $\} 315 \backslash)$
Also, Discount $=$ Marked price - Sale price
Rs 315 = Rs 3150 - Sale price
Therefore, Sale price $=$ Rs (3150-315) = Rs. 2835

Thus, the customer will have to pay Rs 2,835 .

Page : 125 , Block Name : Exercise 8.2

Q7 A milkman sold two of his buffaloes for Rs.20,000 each. On one he made a gain of 5\% and on the other a loss of $10 \%$. Find his overall gain or loss. (Hint: Find CP of each)

Answer. S.P. of each buffalo = Rs 20000
The milkman made a gain of $5 \%$ while selling one buffalo.
This means if C.P. is Rs 100 , then S.p. is Rs 105.
C.P. of one buffalo $=\operatorname{Rs}\left(20000 \times \frac{100}{105}\right)=R s 19,047.62$

Also, the second buffalo was sold at a loss of $10 \%$.
This means if C.P. is Rs 100 , then S.P. is Rs 90.
Therefore, C.P. Of other buffalo $=\operatorname{Rs}\left(20000 \times \frac{100}{90}\right)_{=R s} 22222.22$
Total C.P. $=$ Rs $19047.62+$ Rs $22222.22=$ Rs 41269.84
Total s.P. = Rs 20000 + Rs 20000 = Rs 40000
Loss $=$ Rs 41269.84 - Rs $40000=$ Rs 1269.84
Thus, the overall loss Of milkman was Rs 1,269.84.

Page : 125 , Block Name : Exercise 8.2

Q8 The price of a TV is Rs. 13,000 . The sales tax charged on it is at the rate of $12 \%$. Find the amount that Vinod will have to pay if he buys it.

Answer. On Rs 100, the tax to be paid = Rs. 12
On Rs 13000 , the tax to be paid will be $?=\operatorname{Rs}\left(\frac{12}{100} \times 13000\right)=\operatorname{Rs} 1560$
Required amount $=$ Cost + Sales $\mathrm{Tax}=$ Rs 13000 + Rs 1560 = Rs 14560
Thus, Vinod will have to pay Rs 14,560 for the T.V.

Page : 125 , Block Name : Exercise 8.2
Q9 Arun bought a pair of skates at a sale where the discount given was $20 \%$. If the amount he pays is Rs.1,600, find the marked price.

Answer. Let the marked price be x ,
Discount percent $=\frac{\text { Discount }}{\text { Marked price }} \times 100$
$20=\frac{\text { Discount }}{x} \times 100$
Discount $=\frac{20}{100} \times x=\frac{1}{5} x$
Also,
Discount = Marked Price - Sale Price
$\frac{1}{5} x=x-$ Rs 1600
$x-\frac{1}{5} x=$ Rs 1600
$\frac{4}{5} x=\operatorname{Rs} 1600$
$x=\operatorname{Rs}\left(1600 \times \frac{5}{4}\right)=\operatorname{Rs} 2000$
Thus, the marked price was Rs 2000.

Page : 125 , Block Name : Exercise 8.2

Q10 I purchased a hair-dryer for Rs.5,400 including 8\% VAT. Find the price before VAT was added.

Answer. The price includes VAT.
Thus, $8 \%$ VAT means that if the price without VAT is Rs 100 , then price including VAT will be Rs. 108.

When price including VAT is Rs 108 , original price $=$ Rs 100
When price including VAT is Rs 5400. original price $\begin{aligned} & =\operatorname{Rs}\left(\frac{100}{108} \times 5400\right) \\ & =\operatorname{Rs} 5000\end{aligned}$
Thus, the price of the hair-dryer before the addition of VAT was Rs 5,000.

Page : 125 , Block Name : Exercise 8.2

Q11 An article was purchased for Rs. 1239 including GST of $18 \%$. Find the price of the article before GST was added?

Answer. 1016

Page : 125, Block Name : Exercise 8.2

## Exercise 8.3

Q1 Calculate the amount and compound interest on
(a) Rs.10,800 for 3 years at $12 \frac{1}{2} \%$ per annum compounded annually.
(b) Rs. 18,000 for $2 \frac{1}{2}$ years at $10 \%$ per annum compounded annually.
(c) Rs. 62,500 for $1 \frac{1}{2}$ years at $8 \%$ per annum compounded half yearly.
(d) Rs.8,000 for 1 year at $9 \%$ per annum compounded half yearly. (You could use the year by year calculation using SI formula to verify).
(e) Rs.10,000 for 1 year at $8 \%$ per annum compounded half yearly.

Answer. (a) Principal (P) = Rs 10, 800
Rate $(R)={ }^{12 \frac{1}{2} \%}=\frac{25}{2} \%$ (annual)
Number of years ( n ) $=3$
$\mathrm{P}\left(1+\frac{\mathrm{R}}{100}\right)^{n}$
$=\operatorname{Rs}\left[10800\left(1+\frac{25}{200}\right)^{3}\right]$
$=\operatorname{Rs}\left[10800\left(\frac{225}{200}\right)^{3}\right]$
$=\operatorname{Rs}\left(10800 \times \frac{225}{200} \times \frac{225}{200} \times \frac{225}{200}\right)$
= Rs. 15377.34375
= Rs. 15377.34 (approximately)
C.I. $=\mathrm{A}-\mathrm{P}=$ Rs. $(15377.34-10800)=$ Rs. $4,577.34$
(b) Principal $(P)=R s 18,000$

Rate $(R)=10 \%$ annual
Number of years $(n)=2 \frac{1}{2}$ years
The amount for 2 years and 6 months can be calculated by first calculating the amount for 2 years using the compound interest formula, and then calculating the simple interest for 6 months on the amount obtained at the end of 2 years.
Firstly, the amount for 2 years has to be calculated.
$A=R s\left[18000\left(1+\frac{1}{10}\right)^{2}\right]=R s\left(18000 \times \frac{11}{10} \times \frac{11}{10}\right)=R s 21780$
By taking Rs 21780 as principal, the S. 1. for the next half year will be calculated.
$=\operatorname{Rs}\left(\frac{21780 \times \frac{1}{2} \times 10}{100}\right)=\operatorname{Rs} 1089$
Therefore, Interest for the first 2 years = Rs (21780-18000) = Rs 3780
And interest for the next half year = Rs 1089
Therefore, Total C.I. $=$ Rs 3780 + Rs $1089=$ Rs4,869
$\mathrm{A}=\mathrm{P}+\mathrm{C} . \mathrm{I} .=$ Rs $18000+$ Rs $4869=$ Rs 22,869
(c) Principal ( P ) = Rs 62,500

Rate $=8 \%$ per annum or $4 \%$ per half year
Number of years $=1 \frac{1}{2}$
There Will be 3 half years in $1 \frac{1}{2}$ years.

$$
\begin{aligned}
\mathrm{A}=\mathrm{P}\left(1+\frac{\mathrm{R}}{100}\right)^{n} & =\operatorname{Rs}\left[62500\left(1+\frac{4}{100}\right)^{3}\right] \\
& =\operatorname{Rs}\left(62500 \times \frac{26}{25} \times \frac{26}{25} \times \frac{26}{25}\right) \\
& =\operatorname{Rs} 70304
\end{aligned}
$$

C.I. $=A-P=$ Rs $70304-$ Rs $62500=$ Rs. 7,804
(d) Principal ( P ) = Rs. 8000

Rate of interest $=9 \%$ per annum or $\frac{9}{2} \%$ per half year
Number of years = 1 year

There will be 2 half years in 1 year.

$$
\begin{aligned}
& \begin{aligned}
A & =P\left(1+\frac{\mathrm{R}}{100}\right)^{n} \\
\quad & =\operatorname{Rs}\left[8000\left(1+\frac{9}{200}\right)^{2}\right] \\
= & \operatorname{Rs}\left[8000\left(\frac{209}{200}\right)^{2}\right]=\operatorname{Rs} 8,736.20
\end{aligned}, ~
\end{aligned}
$$

$$
\text { C.I. }=\mathrm{A}-\mathrm{P}=\text { Rs } 8736.20-\text { Rs. } 8000=\text { Rs. } 736.20
$$

(e) Principal ( P ) = Rs 10,000

Rate $=8 \%$ per annum or $4 \%$ per half year
Number of years $=1$ year
There are 2 half years in 1 year.

$$
\begin{aligned}
\mathrm{A} & =\mathrm{P}\left(1+\frac{\mathrm{R}}{100}\right)^{n} \\
& =\operatorname{Rs}\left[10000\left(1+\frac{4}{100}\right)^{2}\right]=\operatorname{Rs}\left[10000\left(1+\frac{1}{25}\right)^{2}\right] \\
& =\operatorname{Rs}\left(10000 \times \frac{26}{25} \times \frac{26}{25}\right)=\operatorname{Rs} 10,816 \\
\text { C.I. } & =\mathrm{A}-\mathrm{P}=\operatorname{Rs} 10816-\text { Rs. } 10000=\text { Rs. } 816
\end{aligned}
$$

Page : 133 , Block Name : Exercise 8.3
Q2 Kamala borrowed Rs. 26,400 from a Bank to buy a scooter at a rate of $15 \%$ p.a. compounded yearly. What amount will she pay at the end of 2 years and 4 months to clear the loan? (Hint: Find A for 2 years with interest is compounded yearly and then find SI on the 2 nd year amount for $\frac{4}{12}$ years).

Answer. Principal (P) = Rs 26,400
Rate $(R)=15 \%$ per annum
Number of years ( n ) $=2 \frac{4}{12}$ years
The amount for 2 years and 4 months can be calculated by first calculating the amount for 2 years using the compound interest formula, and then calculating the simple interest for 4 months on the amount obtained at the end of 2 years.
Firstly, the amount for 2 years has to be calculated.

$$
\begin{aligned}
A & =\operatorname{Rs}\left[26400\left(1+\frac{15}{100}\right)^{2}\right]=\operatorname{Rs}\left[26400\left(1+\frac{3}{20}\right)^{2}\right] \\
& =\operatorname{Rs}\left(26400 \times \frac{23}{20} \times \frac{23}{20}\right)=\operatorname{Rs} 34,914
\end{aligned}
$$

By taking Rs 34,914 as principal, the S.I. for the next $\frac{1}{3}$ years will be calculated.
S.I. $=\operatorname{Rs}\left(\frac{34914 \times \frac{1}{3} \times 15}{100}\right)=R s 1,745.70$

Interest for the first two years Rs. $(34914-26400)=$ Rs 8,514

And interest for the next $\frac{1}{3}$ year $=$ Rs $1,745.70$
Total C.I. $=$ RS ( $8514+$ RS 1745.70) $=$ Rs 10,259.70
Amount $=$ P + C.I. $=$ Rs $26400+$ Rs $10259.70=$ Rs 36,659.70

Page : 133 , Block Name : Exercise 8.3
Q3 Fabina borrows Rs.12,500 at 12\% per annum for 3 years at simple interest and Radha borrows the same amount for the same time period at $10 \%$ per annum, compounded annually. Who pays more interest and by how much?

Answer. Interest paid by Fabina $=\frac{P \times R \times T}{100}$
$=\operatorname{Rs}\left(\frac{12500 \times 12 \times 3}{100}\right)=\operatorname{Rs} 4,500$
Amount paid by Radha at the end of 3 years $=\mathrm{A}=\mathrm{P}\left(1+\frac{\mathrm{R}}{100}\right)^{n}$

$$
\begin{aligned}
\mathrm{A} & =\operatorname{Rs}\left[12500\left(1+\frac{10}{100}\right)^{3}\right] \\
& =\operatorname{Rs}\left(12500 \times \frac{110}{100} \times \frac{110}{100} \times \frac{110}{100}\right)=\operatorname{Rs} 16,637.50 \\
\text { C.I. } & =\mathrm{A}-\mathrm{P}=\operatorname{Rs} 16637.50-\operatorname{Rs} 12500=\operatorname{Rs} 4,137.50
\end{aligned}
$$

The interest paid by Fabina is Rs 4,500 and by Radha is Rs $4,137.50$.
Thus, Fabina pays more interest.
Rs 4500 - Rs 4137.50 = Rs 362.50
Hence, Fabina will have to pay Rs 362.50 more.

Page : 134, Block Name : Exercise 8.3

Q4 I borrowed Rs.12,000 from Jamshed at 6\% per annum simple interest for 2 years. Had I borrowed this sum at $6 \%$ per annum compound interest, what extra amount would I have to pay?

Answer. P = Rs 12000
$\mathrm{R}=6 \%$ per annum
$\mathrm{T}=2$ years
SI. $=\frac{\mathrm{P} \times \mathrm{R} \times \mathrm{T}}{100}=\operatorname{Rs}\left(\frac{12000 \times 6 \times 2}{100}\right)=\operatorname{Rs} 1,440$
To find the compound interest, the amount (A) has to be calculated.

$$
\begin{aligned}
\mathrm{A} & =\mathrm{P}\left(1+\frac{\mathrm{R}}{100}\right)^{\prime \prime}=\operatorname{Rs}\left[12000\left(1+\frac{6}{100}\right)^{2}\right] \\
& =\operatorname{Rs}\left[12000\left(1+\frac{3}{50}\right)^{2}\right]=\operatorname{Rs}\left(12000 \times \frac{53}{50} \times \frac{53}{50}\right) \\
& =\operatorname{Rs} 13,483.20
\end{aligned}
$$

Therefore, C.I. = A - P = Rs 13483.20 - Rs $12000=$ Rs $1,483.20$
C.I. - S.l. $=$ Rs $1,483.20-$ Rs $1,440=$ Rs 43.20

Thus, the extra amount to be paid is Rs. 43.20

Page : 134 , Block Name : Exercise 8.3

Q5 Vasudevan invested 60,000 at an interest rate of $12 \%$ per annum compounded half yearly. What amount would he get
(i) after 6 months?
(ii) after 1 year?

Answer. (i) P = Rs.60,000
Rate $=12 \%$ per annum $=6 \%$ per half year
$\mathrm{n}=6$ months $=1$ half year

$$
\begin{aligned}
A & =P\left(1+\frac{R}{100}\right)^{n} \\
& =\operatorname{Rs}\left[60000\left(1+\frac{6}{100}\right)^{1}\right]=\operatorname{Rs}\left(60000 \times \frac{106}{100}\right)=\operatorname{Rs} 63,600
\end{aligned}
$$

(ii) There are 2 half years in 1 year.
$\mathrm{n}=2$
$A=R s\left[60000\left(1+\frac{6}{100}\right)^{2}\right]=R s\left(60000 \times \frac{106}{100} \times \frac{106}{100}\right)=R s 67,416$

Page : 134 , Block Name : Exercise 8.3
Q6 Arif took a loan of Rs.80,000 from a bank. If the rate of interest is $10 \%$ per annum, find the difference in amounts he would be paying after $1 \frac{1}{2}$ years if the interest is
(i) compounded annually.
(ii) compounded half yearly.

Answer. (i) P = Rs 80,000
$\mathrm{R}=10 \%$ per annum
$\mathrm{n}=1 \frac{1}{2}$ years
The amount for 1 year and 6 months can be calculated by first calculating the amount for 1 year using the compound interest formula, and then calculating the simple interest for 6 months on the amount obtained at the end of 1 year.
Firstly, the amount for 1 year has to be calculated.

$$
\begin{aligned}
A & =\operatorname{Rs}\left[80000\left(1+\frac{10}{100}\right)^{1}\right] \\
& =\operatorname{Rs}\left[80000\left(1+\frac{1}{10}\right)\right]=\operatorname{Rs}\left(80000 \times \frac{11}{10}\right)=\operatorname{Rs} 88,000
\end{aligned}
$$

By taking Rs 88,000 as principal, the Sl for the next $\frac{1}{2}$ year will be calculated.
S.L. $=\frac{\mathrm{P} \times \mathrm{R} \times \mathrm{T}}{100}=\operatorname{Rs}\left(\frac{88000 \times 10 \times \frac{1}{2}}{100}\right)=\operatorname{Rs} 4,400$

Interest for the first year = Rs 88000 - Rs $80000=$ Rs 8000
And interest for the next $\frac{1}{2}$ year $=$ Rs 4,400
Total C.I. $=$ Rs $8000+$ Rs 4,400 = Rs 1,2400
$\mathrm{A}=\mathrm{P}+\mathrm{C} . \mathrm{I} .=\mathrm{Rs}(80000+12400)=$ Rs 92,400
(ii) The interest is compounded half yearly.

Rate $=10 \%$ per annum $=5 \%$ per half year
There will be three half years in $1 \frac{1}{2}$ years.

$$
\begin{aligned}
A & =R s\left[80000\left(1+\frac{5}{100}\right)^{3}\right]=R s\left[80000\left(1+\frac{1}{20}\right)^{3}\right] \\
& =R s\left(80000 \times \frac{21}{20} \times \frac{21}{20} \times \frac{21}{20}\right)=R s 92,610
\end{aligned}
$$

Difference between the amounts = Rs 92,610 - Rs 92,400 = Rs 210

Page : 134 , Block Name : Exercise 8.3

Q7 Maria invested Rs.8,000 in a business. She would be paid interest at 5\% per annum compounded annually. Find
(i) The amount credited against her name at the end of the second year.
(ii) The interest for the 3rd year.

Answer. (i) P = Rs 8,000
R $=5 \%$ per annum
$\mathrm{n}=2$ years

$$
\begin{aligned}
A & =\operatorname{Rs}\left[8000\left(1+\frac{5}{100}\right)^{2}\right]=\operatorname{Rs}\left(8000\left(1+\frac{1}{20}\right)^{2}\right) \\
& =\operatorname{Rs}\left(8000 \times \frac{21}{20} \times \frac{21}{20}\right)=\operatorname{Rs} 8,820
\end{aligned}
$$

(ii) The interest for the next one year, i.e. the third year, has to be calculated.

By taking Rs 8,820 as principal, the S.I. for the next year will be calculated.
$=\operatorname{Rs}\left(\frac{8820 \times 5 \times 1}{100}\right)=\operatorname{Rs} 441$
Page : 134 , Block Name : Exercise 8.3
Q8 Find the amount and the compound interest on Rs.10,000 for $1 \frac{1}{2}$ years at $10 \%$ per annum, compounded half yearly. Would this interest be more than the interest he would get if it was compounded annually?

Answer. P = Rs 10,000
Rate $=10 \%$ per annum $=5 \%$ per half year
$\mathrm{n}=1 \frac{1}{2}$ years
There will be 3 half years in $1 \frac{1}{2}$ years.

$$
\begin{aligned}
A & \left.=\operatorname{Rs}\left[10000\left(1+\frac{5}{100}\right)^{3}\right]=\operatorname{Rs}\left[10000\left(1+\frac{1}{20}\right)^{3}\right]\right]=\operatorname{Rs}\left[10000\left(1+\frac{1}{20}\right)^{3}\right] \\
& =\operatorname{Rs}\left(10000 \times \frac{21}{20} \times \frac{21}{20} \times \frac{21}{20}\right)=\operatorname{Rs} 11,576.25
\end{aligned}
$$

C.I. $=\mathrm{A}-\mathrm{P}$
= Rs 11576.25 - Rs $10000=$ Rs $1,576.25$
The amount for 1 year and 6 months can be calculated by first calculating the amount for 1 year using the compound interest formula, and then calculating the simple interest for 6 months on the amount obtained at the end Of 1 year.
The amount for the first year has to be calculated first.

$$
\begin{aligned}
A & =\operatorname{Rs}\left[10000\left(1+\frac{10}{100}\right)^{1}\right]=\operatorname{Rs}\left[10000\left(1+\frac{1}{10}\right)\right] \\
& =\operatorname{Rs}\left(10000 \times \frac{11}{10}\right)=\operatorname{Rs} 11,000
\end{aligned}
$$

By taking Rs 11,000 as the principal, the S.I. for the next half year will be calculated.
$=\operatorname{Rs}\left(\frac{11000 \times 10 \times \frac{1}{2}}{100}\right)=\operatorname{Rs} 550$
Therefore, Interest for the first year = Rs 11000 - Rs $10000=$ Rs 1,000
Therefore, Total compound interest = Rs 1000 + Rs $550=$ Rs 1,550
Therefore, the interest would be more when compounded half yearly than the interest when compounded annually.

Page : 134, Block Name : Exercise 8.3
Q9 Find the amount which Ram will get on Rs.4096, if he gave it for 18 months at $12 \frac{1}{2} \% 2$ per annum, interest being compounded half yearly.

$$
\begin{aligned}
P & =R s 4,096 \\
& =12 \frac{1}{2} \%
\end{aligned}
$$

Answer.

$$
\begin{aligned}
& R=18 \text { per annum }=\frac{25}{4} \% \\
& n=18 \text { months }
\end{aligned}
$$

There will be 3 half years in 18 months.
Therefore,
$A=R s\left[4096\left(1+\frac{25}{400}\right)^{3}\right]=\operatorname{Rs}\left[4096\left(1+\frac{1}{16}\right)^{3}\right]$
$=\operatorname{Rs}\left(4096 \times \frac{17}{16} \times \frac{17}{16} \times \frac{17}{16}\right)=\operatorname{Rs} 4,913$
Thus, the required amount is Rs. 4,913.

Page : 134 , Block Name : Exercise 8.3

Q10 The population of a place increased to 54,000 in 2003 at a rate of $5 \%$ per annum
(i) find the population in 2001.
(ii) what would be its population in 2005?

Answer. (i) It is given that, population in the year $2003=54,000$
Therefore,
$54000=(\text { Population in 2001 })^{\left(1+\frac{5}{100}\right)^{2}}$
Population in $2001=54000 \times \frac{20}{21} \times \frac{20}{21}=48979.59$
Thus, the population in the year 2001 was approximately 48,980 .
(ii) Population in $2005=54000\left(1+\frac{5}{100}\right)^{2}$
$=54000\left(1+\frac{1}{20}\right)^{2}=54000 \times \frac{21}{20} \times \frac{21}{20}=59,535$
Thus, the population in the year 2005 would be 59,535.

Page : 134 , Block Name : Exercise 8.3

Q11 In a Laboratory, the count of bacteria in a certain experiment was increasing at the rate of $2.5 \%$ per hour. Find the bacteria at the end of 2 hours if the count was initially $5,06,000$.

Answer. The initial count of bacteria is given as 5,06,000.
Bacteria at the end of 2 hours $=506000\left(1+\frac{2.5}{100}\right)^{2}$
$=506000\left(1+\frac{1}{40}\right)^{2}=506000 \times \frac{41}{40} \times \frac{41}{40}$
$=531616.25=5,31,616$ ( approx. )
Thus, the count of bacteria at the end of 2 hours will be 5,31,616 (approx.).

Page : 134, Block Name : Exercise 8.3
Q12 A scooter was bought at Rs.42,000. Its value depreciated at the rate of $8 \%$ per annum. Find its value after one year.

Answer. Principal = Cost price of the scooter $=$ Rs 42,000
Depreciation $=8 \%$ Of Rs 42,000 per year
$=\operatorname{Rs}\left(\frac{42000 \times 8 \times 1}{100}\right)$
$=\operatorname{Rs} 3,360$
Value after 1 year = Rs 42000 - Rs 3360 = Rs 38,640

Page : 134 , Block Name : Exercise 8.3

